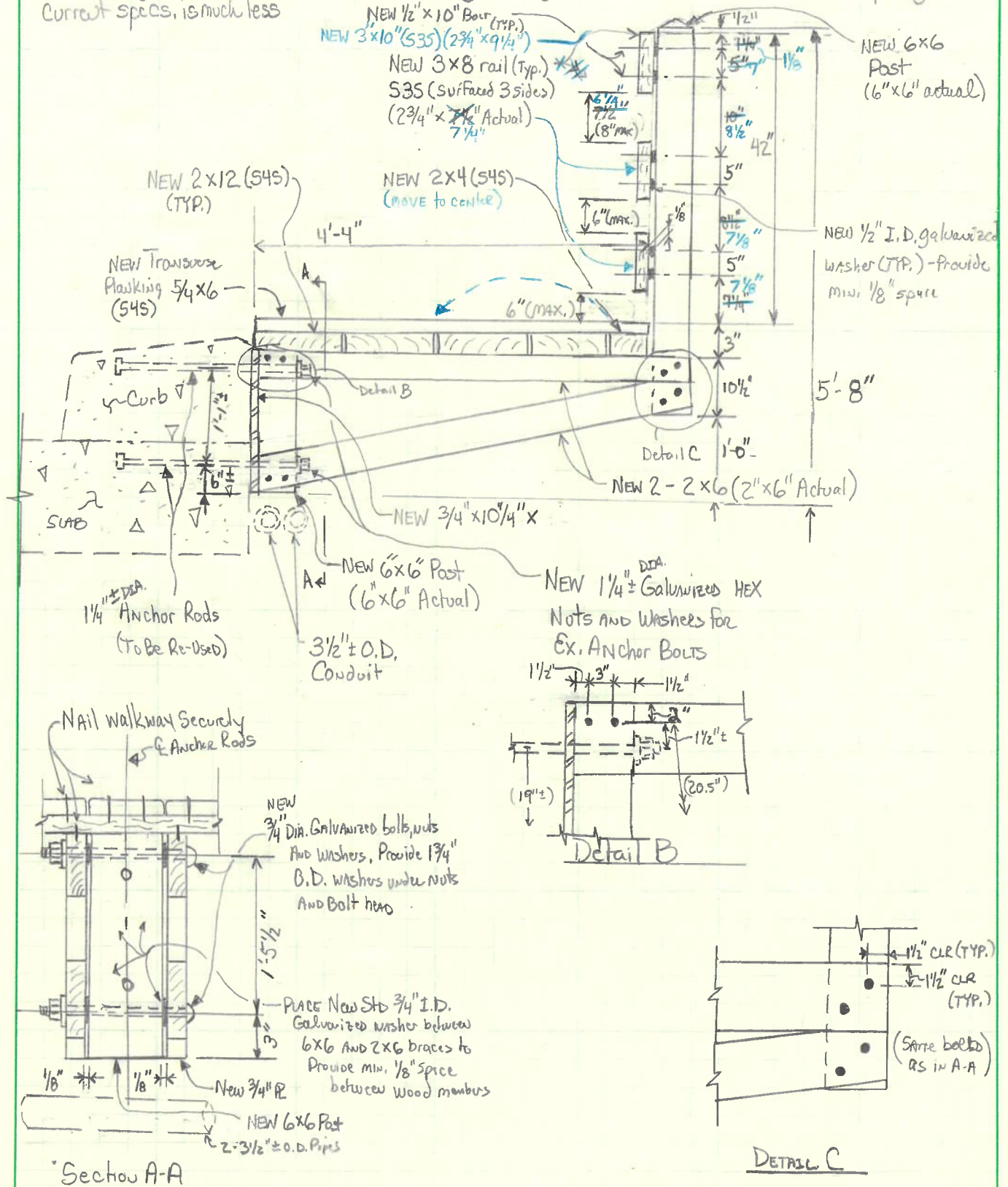
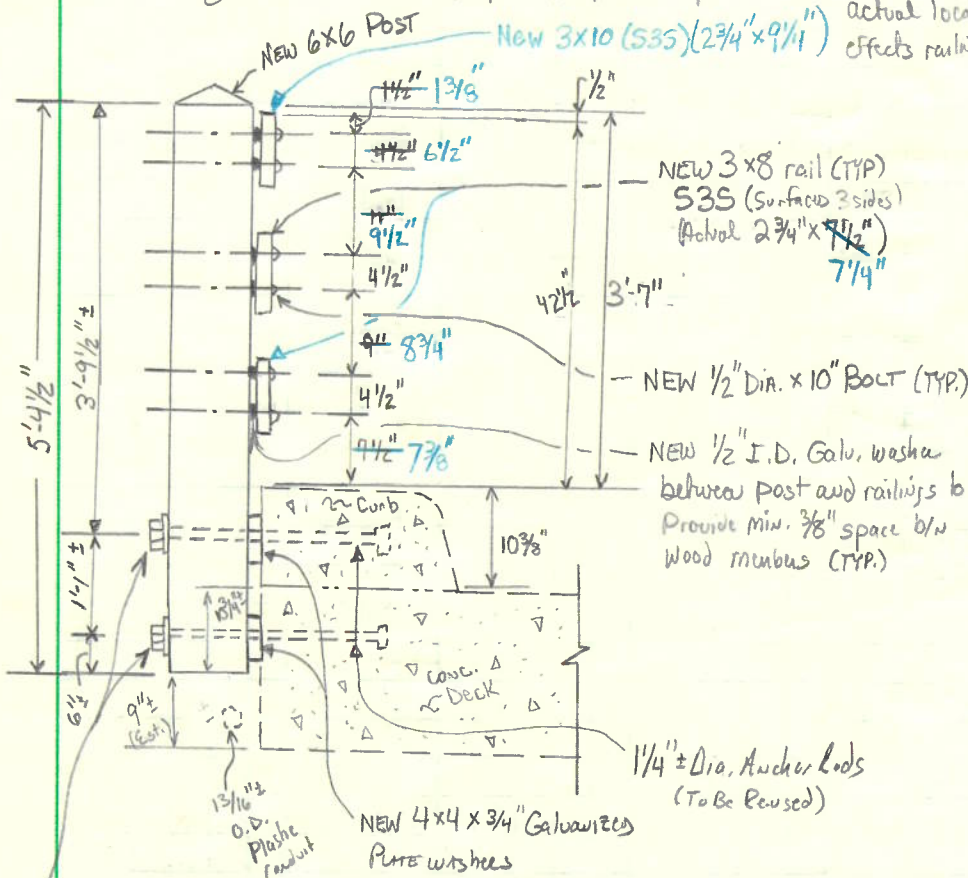


Proposed Sidewalk Section - This varies slightly from the original plan in that it is 4" wider than original to provide a full 4'-0" (min.) of usable surface; and the pedestrian rail is taller to comply with current pedestrian railing requirements (42" above rail vs 36" existing). Also, adding transverse planking for ADA to walking. Railing must include more rails as max. opening in current specs. is much less.

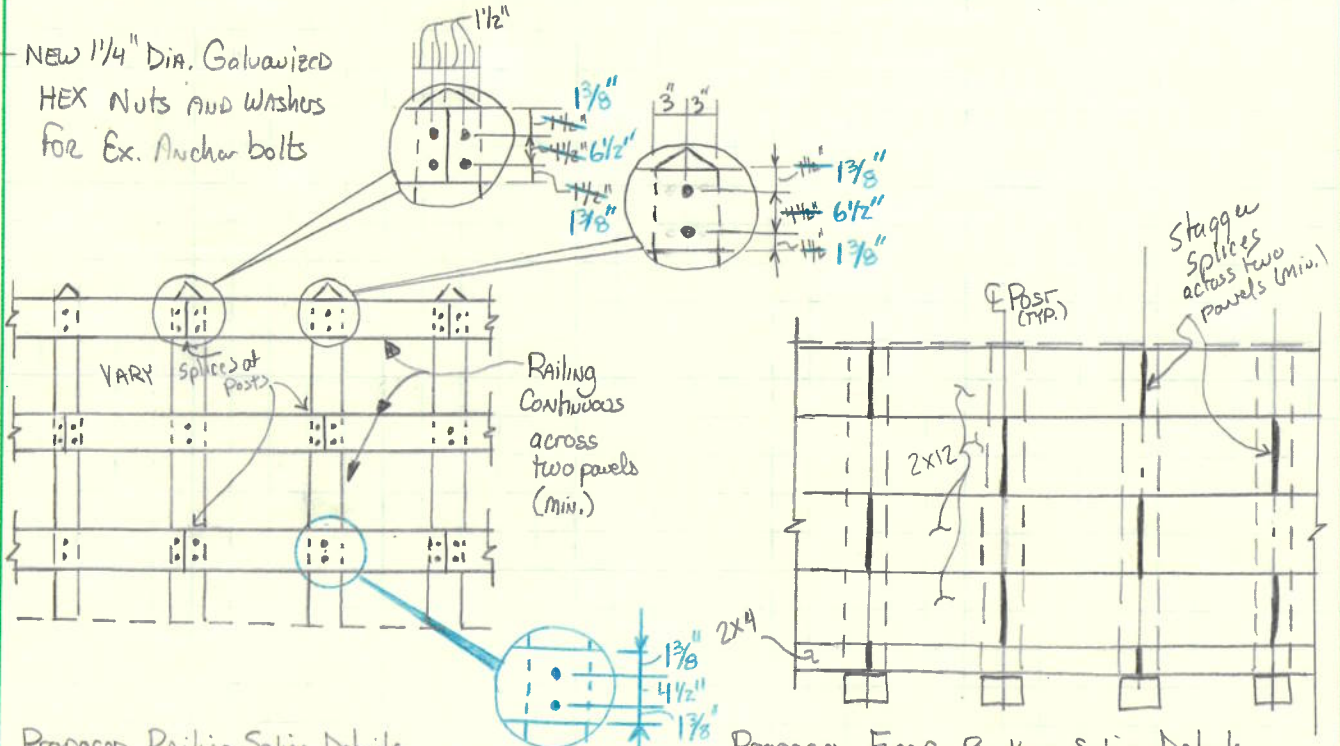


### Proposed Upstream Railing

What is out there now is about 36"-38"± above curb. This railing was never designed to stop an AASHTO Vehicular Load. Design new rail for pedestrian load with 42" (min.) tall config. Only. The curb is what prevents low-speed vehicles & bicycles from engaging rail. Again, current railing spacing specs require an additional rail. Provide 42 1/2" tall rail as actual location of anchor bolts is assumed & effects railing height



NEW 1 1/4" DIA. Galvanized HEX NUTS AND WASHERS FOR EX. ANCHOR BOLTS



Proposed Railing Splice Details

Proposed Floor Planking Splice Details

Specifications

WOOD - RED OAK - #2 or Better (unfactored allowable Bending Stress  $F_b = 800 \text{ psi}$ )

HARDWARE - Connections ASTM A307<sub>A</sub> BOLTS - Galvanized  
GRADE: A

ASTM A563A HEX NUTS, Galvanized

ASTM F844 Washers, Galvanized

STEEL PUTES - ASTM A709 GR36 or GR50 - Galvanized

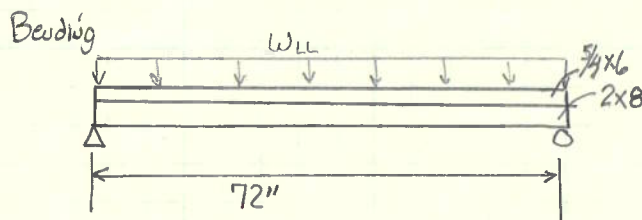
WOOD TREATMENT - ACQ-TYPED Retention  $2.4 \text{ kg/m}^3$  (min.)

SIDEWALK / Railing Design Calcs.5/4 x 6 Planking - Fully Supported - No Design use RED OAK2x12 PLANKS - S4S - Actual Dim.  $11\frac{1}{4}" \times 1\frac{1}{2}"$  use Red OAK  $F_b = 800 \text{ psi}$  (No. 2 or better)

## WOOD Factors

 $C_m$  (moisture content - See AASHTO = 0.85 (>19%) for  $F_b$  (bending) [could use  $C_m = 1.0$  for  $F_b \cdot C_f < 1150 \text{ psi}$ ] $C_d$  (duration factor) = 1.15 (or higher) - Snow & ice $C_t$  (temperature factor) = 1.0 $C_f$  (size factor - bending) = 1.3 for oak 2x6 - allowed increase for this wood laid flat $C_f$  (form factor) = 1.0 for Rectangular/Square members $C_L$  (lateral stability factor) = 1.0 (fully braced) $C_R$  (fire retardant) = 1.0 (seldom used on bridges) $C_C$  = Curvature = 1.0 (N/A) $C_{Fu}$  - flat use = 1.15 for 2" thick x 8" $C_r$  = repetitive member factor for sawn Lumber = 1.15 (see footnote 5 - AASHTO TABLE 13.5.1.A)

Worst Case - Plank is simply supported b/w two supports (should be continuous)



LOADS:

DL:  $(1' + 1\frac{1}{2}') / 12 \times 1' \times 50 \frac{\text{lb}}{\text{ft}^3} = 10.4 \frac{\text{lb}}{\text{ft}}$

Lh:  $85 \frac{\text{lb}}{\text{ft}^2} \times 1' = 85 \frac{\text{lb}}{\text{ft}}$

(No impact for Timber)

$$M_{\text{max}} = \frac{wL^2}{8} = \frac{(10.4 \frac{\text{lb}}{\text{ft}} + 85 \frac{\text{lb}}{\text{ft}})(6 \text{ ft})^2}{8} = 429.3 \text{ lb}\cdot\text{ft}$$

$$S_x = \frac{bh^2}{6} = \frac{11\frac{1}{4} \times (1.5)^2}{6} = 4.22 \text{ in}^3$$

$$\text{max bending stress } f_b = \frac{M}{S} = \frac{429.3 \text{ lb}\cdot\text{ft} \times 12 \frac{\text{in}}{\text{ft}}}{4.22 \text{ in}^3} = 1221 \text{ psi} < 1344 \text{ psi} \text{ OK}$$

$$\text{Allowable bending stress } F_b' = F_b \cdot C_m \cdot C_d \cdot C_f \cdot C_{Fu} \cdot C_r = 800 \frac{\text{lb}}{\text{in}^2} \times 0.85 \times 1.15 \times 1.3 \times 1.15 \times 1.15 = 1344 \text{ psi}$$

WORST CASE - RED OAK, #2 or Better -  $F_b = 800 \frac{\text{lb}}{\text{in}^2}$ 

SHEAR (\* This is conservative, doesn't factor in shear not taken @ bearing)

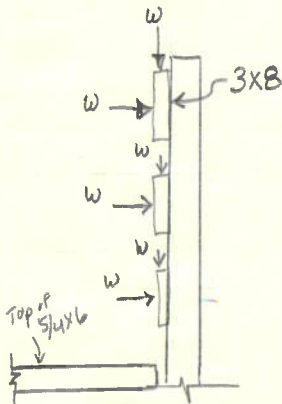
$$V = (95.4 \frac{\text{lb}}{\text{ft}})(72 \frac{\text{in}}{12}) / 2 = 286 \text{ lbs}$$

$$f_v = \frac{3V}{2b \cdot d} = \frac{3 \times 286 \text{ lbs}}{2 \times 11.5 \times 1.5 \text{ in}} = 24.9 \text{ psi} \ll 85 \text{ psi} \text{ OK}$$

(Not going to take time to factor this)

# SIDEWALK RAILING DESIGN

LOADS PER AASHTO



where  $w = 50 \text{ lb/ft}$  \* (Revising to  $7\frac{1}{4} \times 2\frac{3}{4}$  does NOT warrant new calcs based on Demand/Capacity)

$$w_{DL} = (2.75 \times 7\frac{1}{2}) / 144 \times 50 \text{ lb/ft}^2 = 7.2 \text{ lb/ft}$$

$$S_x = \frac{bh^2}{6} = \frac{(2.5)(7.5^2)}{6} = 23.4 \text{ in}^3 \quad S_y = \frac{h \cdot b^2}{6} = \frac{(7.5)(2.5^2)}{6} = 7.81 \text{ in}^3$$

$$M_x = \frac{wL^2}{8} = \frac{(50 \text{ lb/ft} + 7.2 \text{ lb/ft})(6 \text{ ft})^2}{8} = 257.4 \text{ lb}\cdot\text{ft} \quad M_y = \frac{(50 \text{ lb/ft})(6 \text{ ft})^2}{8} = 225 \text{ lb}\cdot\text{ft}$$

$$f_{bx} = \frac{M_x}{S_x} = \frac{(257.4 \text{ lb}\cdot\text{ft})(12 \text{ in/ft})}{23.4 \text{ in}^3} = 132 \text{ psi} \quad f_{by} = \frac{M_y}{S_y} = \frac{225 \times 12}{7.81} = 345 \text{ psi}$$

Allowable stress - Use RED OAK #2 or better  $F_b = 800 \text{ psi}$

Factors:  $C_m = 0.85$  (could use 1.0)

$C_d = 1.25$  (snow & ice?)

$$F'_b = F_b \cdot C_m \cdot C_d \cdot C_F = 1020 \text{ psi}$$

$C_F = 1.2$  (size factor) - 8" wide

$C_{FL} = 1.0$  (flat use - could use 1.15 for horizontal)

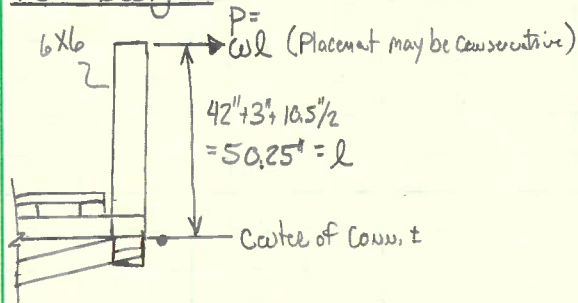
$C_r = 1.0$

TOTAL Combined Bending Stress (interaction formula)  $\sqrt{\left(\frac{f_{bx}}{F'_b}\right)^2 + \left(\frac{f_{by}}{F'_b}\right)^2} = \sqrt{\left(\frac{132}{1020}\right)^2 + \left(\frac{345}{1020}\right)^2} = 0.36 < 1.0 \text{ OK}$

Quick, conservative shear check:  $V_x \approx V_y \approx (57.2 \text{ lb/ft} \times 6 \text{ ft}) / 2 = 172 \text{ lbs}$   $f_{vx} = f_{vy} = \frac{3}{2} \left(\frac{V}{bd}\right) = \frac{1.5(172 \text{ lbs})}{(7\frac{1}{2} \times 2\frac{3}{4})} = 12.5 \text{ psi}$

Total shear  $\approx \sqrt{\left(\frac{12.5}{85}\right)^2 + \left(\frac{12.5}{85}\right)^2} = 0.21 < 1.0 \text{ OK}$  (Red Oak unfactored shear  $\approx 85 \text{ psi}$ ) = 12.5 psi

## Post Design



$$P = 50 \text{ lb/ft} \times 6' = 300 \text{ lbs}$$

$$M_{LL} = P \cdot L = 300 \times \frac{50.25}{12} = 1256 \text{ lb}\cdot\text{ft}$$

$$S_x = \frac{bh^2}{6} = \frac{(6)(6)^2}{6} = 36 \text{ in}^3$$

(DL is negligible)

$$f_b = \frac{M_{LL}}{S_x} = \frac{(1256 \text{ lb}\cdot\text{ft})(12 \text{ in/ft})}{36 \text{ in}^3} = 419 \text{ psi} < 920 \text{ psi}$$

OK

Use RED OAK, #2 or Better  $F_b = 800 \text{ psi}$   $F'_b = F_b \times C_d = 800 \times 1.15 = 920 \text{ psi}$

Factors:  $C_m = 1.0$  (5" x 5" or larger)

$C_d = 1.15$  (Snow & ice)

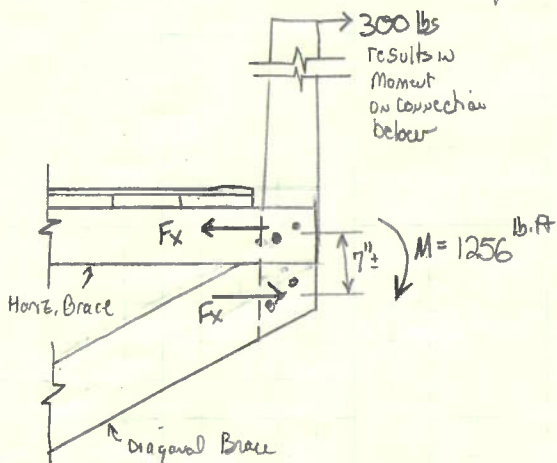
$C_F = 1.0$  (> 4" width)

$C_{FL} = 1.0$  (N/A - flat use)

$C_r = 1.0$  (repetitive)

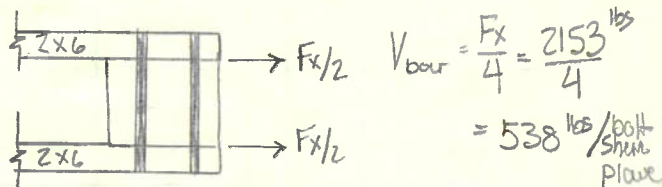
SIDEWALK Post Design (Cont.)

Estimate shear load to bolts in top horiz 2x6



$$M = F_x \cdot d$$

$$F_x = M/d = \frac{1256 \text{ lb-ft} \times 12}{7 \text{ in}} = 2153 \text{ lbs}$$

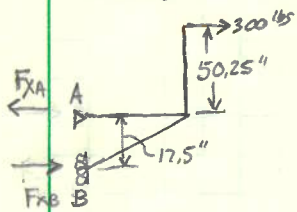


A 307 bolts typ. used for timber (A325 would likely be too strong for wood)

Allowable stress (tension) 20,000 psi  
" " (shear) 10,000 psi  
60,000 psi yield

Stress on bolt:  $f_v = \frac{V_{\text{bolt}}}{A} = \frac{538 \text{ lbs}}{0.44 \text{ in}^2} = 1,223 \text{ psi}$   
3/4" Dia  $< 20,000 \text{ psi}$   
Conn. Bolts OK

LOADS to HORIZONTAL & Diagonal Supports



Determine Loads  $\sum M_B = 0$ :  $-300 \text{ lbs} (50.25 \text{ in} + 17.5 \text{ in}) + F_{xA} (17.5 \text{ in}) = 0$   
 $F_{xA} = 20,325 \text{ lb-in} / 17.5 \text{ in} = 1161.4 \text{ lbs}$

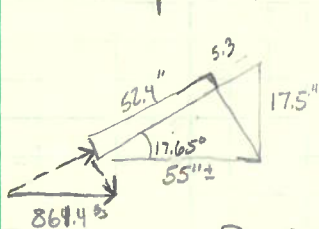
$\sum F_x = 0$ :  $300 \text{ lbs} + F_{xA} + F_{xB} = 0$   $F_{xB} = -300 - (-1161.4 \text{ lbs}) = 861.4 \text{ lbs}$

Check Tension in horiz. Braces (2-2x6 full section):  $f_t = \frac{F_{xA}}{A_{net}} = \frac{1161.4 \text{ lbs}}{(2)(2 \text{ in} \times 6 \text{ in} - 0.375 \text{ in} \times 2 \text{ in})} = 56.5 \text{ psi} < 4,775 \text{ psi} \pm$

For RED OAK #2 or Better  $F_B = 475 \text{ psi (min)}$  UNfactored  
Tension parallel to grain

By inspection, factored tension is well above load

Check Compression/Bending in Diagonal



Column type: slenderness =  $\frac{h/d}{6}$   
where  $h$  = clear height  
 $l_c = K_e \cdot l = 1.0(9.62) = 9.6 < 11$

This is a "short" column

$P_a = 861.4 \text{ lbs} \times \cos 17.65^\circ = 820.9 \text{ lbs}$   
 $M_x = (861.4 \text{ lbs} \times 5.17 \text{ in} \times 52.4 \text{ in}) = 13,685.7 \text{ lb-in}$

RED Oak #2 or Better  $C_m C_D$   
 $F_B = 800 \text{ psi (Bending)} \times 1.0 \times 1.65 = 1320 \text{ psi}$

$F_c = 625 \text{ psi (Comp. || to Grain)} \times 1.0 \times 1.65 = 1031 \text{ psi}$   
consider part of railing - 5 min load

See NEXT Sheet

## Failing Support Diagonal Design (Cont.)

Determine  $C_p$ , Column Stability Factor per AASHTO 13.7.3.3.5

$$C_p = \frac{1 + F_{CE}/F_c^*}{2c} - \sqrt{\frac{(1 + F_{CE}/F_c^*)^2 - F_{CE}/F_c^*}{(2c)^2}} = \frac{1 + \frac{24,957}{1031}}{2(0.8)} - \sqrt{\frac{(1 + 24.2)^2}{(2 \times 0.8)^2} - \frac{24.2}{0.8}}$$

$$\text{where } F_{CE} = \frac{K_{CE} E'}{(L_e/d)^2} = \frac{(0.3)(1.2 \times 10^6)}{(57.7"/4")^2} = 24,957 \quad = 15.75 - \sqrt{217.8}$$

$$\text{where } E' = E \cdot C_m = 1,200,000 \text{ psi}$$

(2-2" members)

$$= 0.992$$

$$c = 0.8 \text{ (sawn lumber)}$$

$$F_c^* = 1031 \text{ psi}$$

$$\text{so: } F_c' = F_c \cdot C_m \cdot C_D \cdot C_F \cdot C_p = 625 \text{ psi} \times 1.0 \times 1.65 \times 1.0 \times 0.992 = 1023 \text{ psi}$$

Allowable Compressive Stress

Combined Bending & Compression must satisfy

$$\frac{f_c}{F_c'} + \frac{f_b}{F_b'} \leq 1.0$$

$$\text{where } f_c = \frac{P}{A} = \frac{820.9 \text{ lbs}}{(2 \times 2 \times 6")^2} = 34.2 \text{ psi}$$

(column failure not @ net section)

$$f_b = \frac{M_x}{bh^2/6} = \frac{13,685.7 \text{ lb-in}}{(2 \times 2" \times 6")^2} = 570.2 \text{ psi}$$

Column is short (neglect P-delta)

$$\frac{34.2 \text{ psi}}{1023 \text{ psi}} + \frac{570 \text{ psi}}{1320 \text{ psi}} = 0.465 < 1.0 \quad \underline{\underline{OK}} \quad (\text{This "bending" is probably very conservative})$$

## LOADS to Ex. Anchor Rods embedded in Slab

Tension in these rods (1/4"  $\emptyset$ ) no more than 2153 lbs - by inspection OK

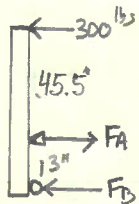
Upstream Railing Design

Railing - Same 3x8 as Sidewalk side with same spaces b/w posts - OK

Post Design - Distance to center of Anchor Rod Connection  $d = 45.5" + L/2 = 52" > 50.25"$

$$M_{wh} = P \times l = 300 \text{ lbs} \times 52"/2 = 1300 \text{ lb}\cdot\text{ft} \quad (\text{DL is negligible})$$

$$f_b = \frac{M_{LL}}{S_x} = \frac{1300 \text{ lb}\cdot\text{ft} \times 12}{(6" \times 6")^2 / 6} = 433 \text{ psi} < 920 \text{ psi}$$

Ex. Anchor Rod Loads

$$\sum M_A = 0 : 300 \text{ lb}(45.5") - F_B(13") = 0$$

$$F_B = 1050 \text{ lbs}$$

$$F_A = 1350 \text{ lbs}$$

$$\text{Stress in Rod} = \frac{1350 \text{ lbs}}{(11 \times 1.25^2 / 4)} = 1100 \text{ psi}$$

By inspection  
 $\ll 20 \text{ ksi}$

Bearing Pressure on Washer



$$A = \pi (1.25^2 - 0.6875^2) = 3.42 \text{ in}^2 \quad f = \frac{F_A}{A} = \frac{1350 \text{ lbs}}{3.42 \text{ in}^2} = 394 \text{ psi} < 820 \text{ psi} \quad \underline{\text{OK}}$$

For Reference AN AASHTO TRAFFIC RAIL LOAD is 10 Kips applied @ top of Post.

$$M_{LL} = 10,000 \text{ lbs} \times 52"/2 = 43.3 \text{ K}\cdot\text{ft}$$

$$S_x = \frac{(6" \times 6")^2}{6} = 36 \text{ in}^3$$

$$f_b = M/S = \frac{(43.3 \text{ K}\cdot\text{ft} \times 12 \text{ in}/\text{ft})}{36 \text{ in}^3} = \underline{\underline{14,444 \text{ psi}}} \ll 800 \text{ psi} \Rightarrow \text{You would need something like a 12x12 post to stop a vehicle.}$$

This is not an AASHTO

Combo rail, Curb  
Stops the low-speed  
vehicles