

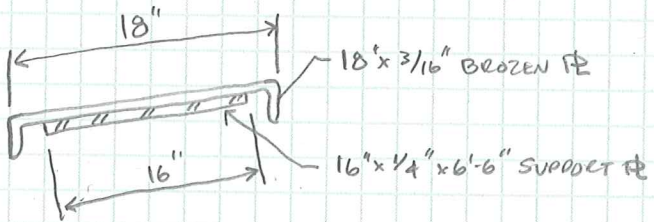
COMPUTATION SHEET
E. P. FERRIS & ASSOCIATES, INC.
 CONSULTING CIVIL ENGINEERS

BY <u>JWE</u>	DATE <u>5/15/14</u>	TITLE <u>CUY-90 (CCG1)</u>	FILE NO. _____
CHECKED _____	DATE _____	LOCATION <u>ABBEY AVE - RAILWS</u>	PROJECT _____
			SHEET <u>1</u> OF <u>3</u>

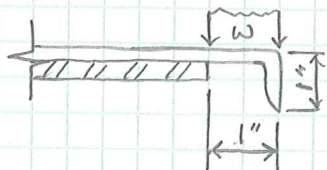
DESIGNS:

1. ABBEY AVE OVERLOOK SUPPORT (BACKER PL) (BROZEN PL)
2. ABBEY AVE LEAN RAIL SUPPORT (BACKER PL)
3. BASE PLATE DESIGN.

1. ABBEY AVENUE OVERLOOK BACKER PL SUPPORT.



• CHECK BENDING OF BRONZE PL AT OVERHANG LOCATIONS.
 a. • SPREAD 200# OVER 18" ∴ $w = 133.33 \#/ft.$



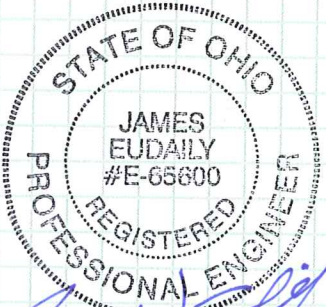
a. $M = \frac{wL^2}{2} = \frac{133.33(1/2)^2}{2} = 0.463 \# \cdot ft.$
 $F_b = \frac{M}{S} = \frac{0.463 \times 12}{\frac{12 \times (3/16)^2}{6}} = 79.0 \text{ psi}$

b. CHECK WITH 200# POINT LOAD.

$M = PL = 200 \# (1/12) = 16.6 \# \cdot ft.$

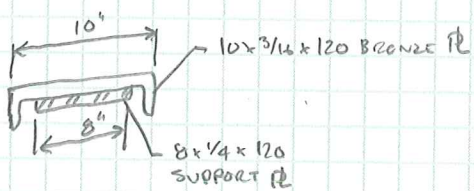
$F_b = \frac{M}{S} = \frac{16.6 \times 12}{\frac{12 \times (3/16)^2}{6}} = 2844 \text{ psi} < 21200 \text{ psi}$
 ∴ F_b allowable.

∴ 1/4" x 16" x 6'-6" SUPPORT PLATE AND
 3/16" x 18" x 6'-6" BRONZE PLATE
 ARE BOTH ADEQUATE.



James Eudaily
 5/19/14

2. ABBEY AVENUE LEAN RAIL BACKER PL SUPPORT.



FROM PREVIOUS CALCULATION THE 200# POINT LOAD GOVERNED. CALCULATION IS THE SAME
 ∴ BOTH PL ARE ADEQUATE.

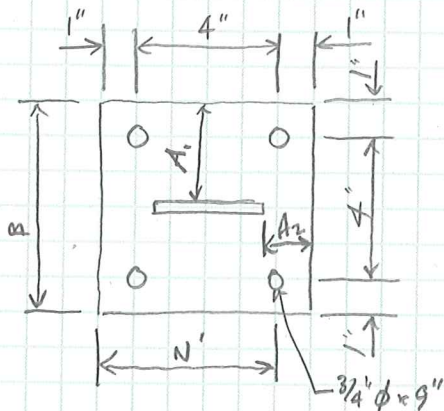
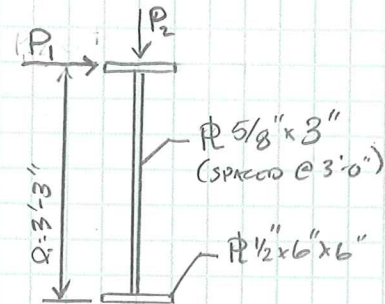
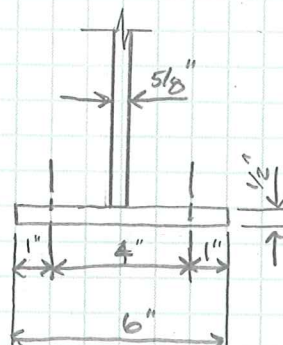
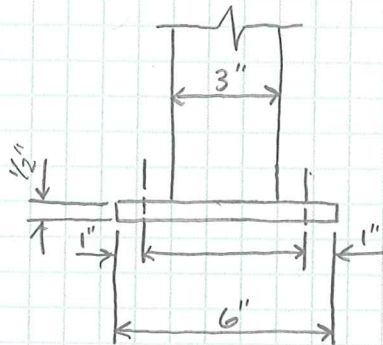
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BY JWE DATE 5/15/14
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TITLE CUY-90 (CGG1)
 LOCATION Arby Ave - Rainin

FILE NO. _____
 PROJECT _____
 SHEET 2 OF 3

3. BASE PLATE DESIGN:



Allowable Stresses
 $f_y = 36 \text{ ksi} \times 0.16 = 21.6 \text{ ksi}$
 $f'_c = 4000 \text{ psi}$

$$P_1 = 0.2 + 0.05(3.0) = 0.35 \text{ k}$$

$$P_2 = 0.05(3) = 0.15 \text{ k}$$

$$M_{BASE} = P_1 \times e_1 = 0.35(3.25) = 1.1375 \text{ k-ft} \times 12 = 13.65 \text{ k-in}$$

$B = 6"$
 $N = 5"$
 $A_1 = 2.6675"$
 $A_2 = 1.5"$

A. Check Base Plc

$$a. F_p = 0.35 f'_c \sqrt{\frac{A_c}{A_p}} \leq 0.7 f'_c$$

$$= 0.35(4) \sqrt{4} = 2.8 \text{ ksi} \leq 2.8 \text{ ksi}$$

$$b. f' = \frac{f_p B N'}{2} = \frac{2.8(6)(5)}{2} = 42 \text{ ksi}$$

$$c. A = \frac{f' \pm \sqrt{f'^2 - 4(f_p B / 6)(P_2 + M)}}{f_p B / 3}$$

$$= \frac{42 \pm \sqrt{42^2 - 4(2.8(6)/6)(0.15(2.6675) + 23.16)}}{(2.8(6)/3)}$$

$$= 0.58 \text{ in or } 14.4 \text{ in} \therefore 0.58 \text{ in} < 6.75 \text{ in Good.}$$

$$ca. \frac{42 \pm \sqrt{42^2 - (4(2.8)(6)/6)(0.15)(1.5) + 23.16}}{(2.8(6)/3)}$$

$$= 0.58 \text{ in or } 14.4 \text{ in} \therefore 0.58 \text{ in} < 6.75 \text{ in Good.}$$

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BY <u>JWE</u>	DATE <u>5/19/14</u>	TITLE <u>Cuy-90 (CCGI)</u>	FILE NO. _____
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			SHEET <u>3</u> OF <u>3</u>

d. Tension in Bolts:

$$T = \frac{f_p BA}{2} - p = \frac{2.8(6)(0.58)}{2} - 0.15$$

$$= \frac{4.722k}{2} = 2.36 k/Bolt < 19.9k \text{ GOOD}$$

2 ϕ BOLTS ON EACH SIDE

e. Load on ϕ :

$$M = \frac{2.8(0.58)}{2} = 0.812 k \cdot in$$

$$t_p = \sqrt{\frac{6M}{\phi F_y}} = \sqrt{\frac{6(0.812)}{0.75(36)}} = 0.18 in < \frac{1}{2}'' \therefore \text{GOOD}$$

USE $6 \times 6 \times \frac{1}{2} \phi$ w/ $4 \cdot \frac{3}{4}'' \phi$

B. ANCHOR BOLT CHECK.

$\frac{3}{4}'' \times 9''$ (A325) \therefore Tensile Strength = 120 ksi
 $f_{allowable} = 19.9 \text{ ksi}$

a. Bolt Size: A_g

$$A_g = \frac{T_u}{\frac{1}{3}F_u} = \frac{2.36}{\frac{1}{3}(120)} = 0.06 in^2 \therefore \frac{3}{4}'' \phi = 0.44 in^2 \text{ GOOD}$$

b. Embedment: L_d .

$$L_d = \sqrt{\frac{T_u}{\phi 4 \sqrt{f_c} \pi}} = \sqrt{\frac{2.36(1000)}{0.9(4)\sqrt{4000} \pi}} = 1.81 in < 9 in \text{ GOOD}$$